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Process Simulation Long Fiber Thermoplastic Polypropylene Bus Seat Component

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Objectives

- ❑ To design and analyze components of transportation vehicles with a goal of cost and weight savings; Ex. Bus Seat
- ❑ To conduct process simulation studies





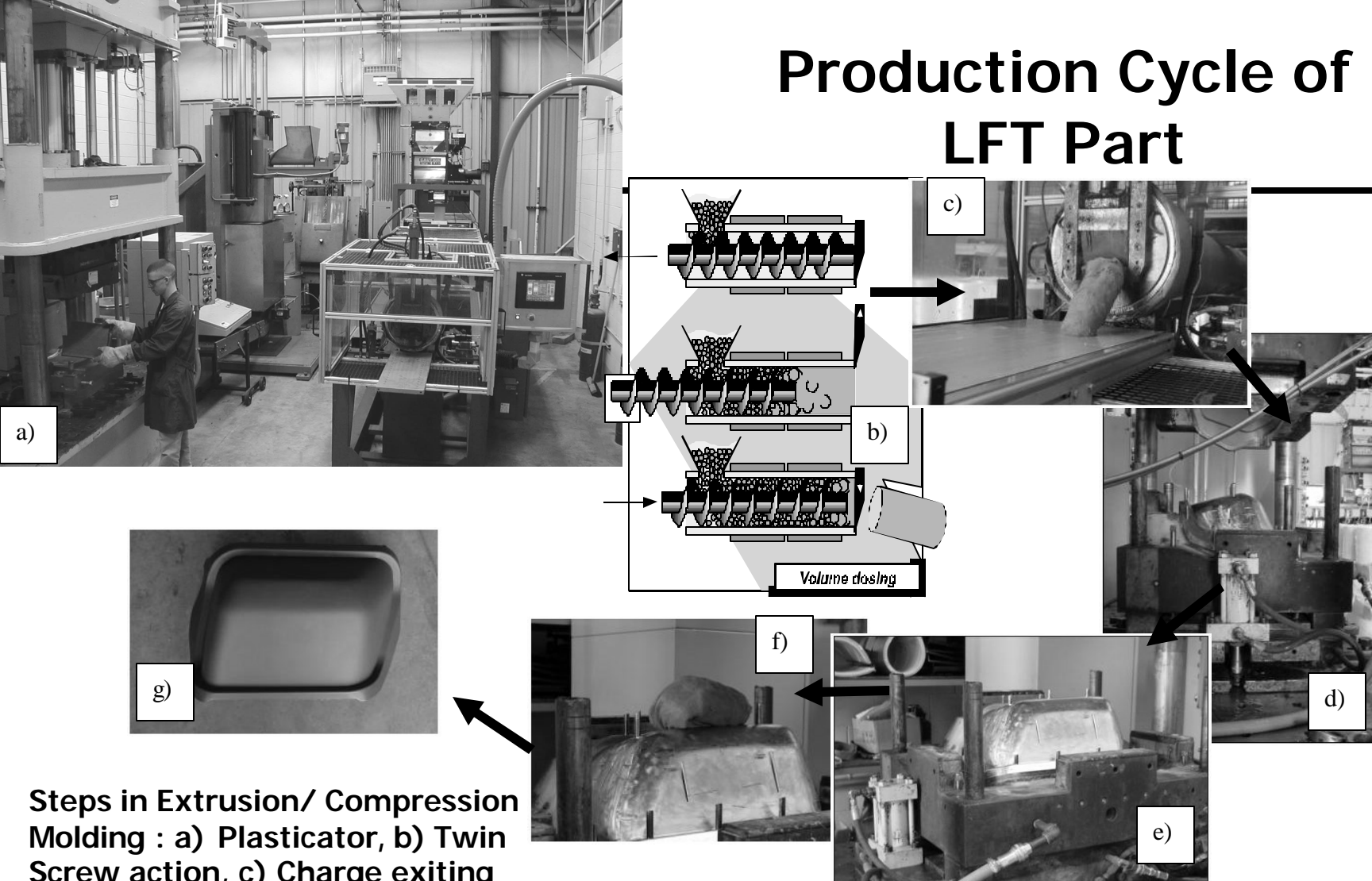
Long Fiber Thermoplastics

Long-Fiber Thermoplastic (LFT) materials are a family of compounds that incorporate fibrous fillers into a wide variety of crystalline and amorphous thermoplastic resins. LFT materials provide the following advantages over unreinforced and short fiber reinforced thermoplastics:

- Superior mechanical properties
- Higher notched impact strength
- Reduced tendency to creep
- Stability at elevated temperature and humidity conditions



Production Cycle of LFT Part



Steps in Extrusion/ Compression Molding : a) Plasticator, b) Twin Screw action, c) Charge exiting from plasticator, d,e) Compression Mold with Engine Tool, f) Charge Placement, g) Finished Part.



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Advantages of Process Simulation

- Proof of Concept**
- Shorter Development Times**
- Higher Quality Parts**
- Avoidance of Tool Modifications**
- Shorter Tool Setup Times**





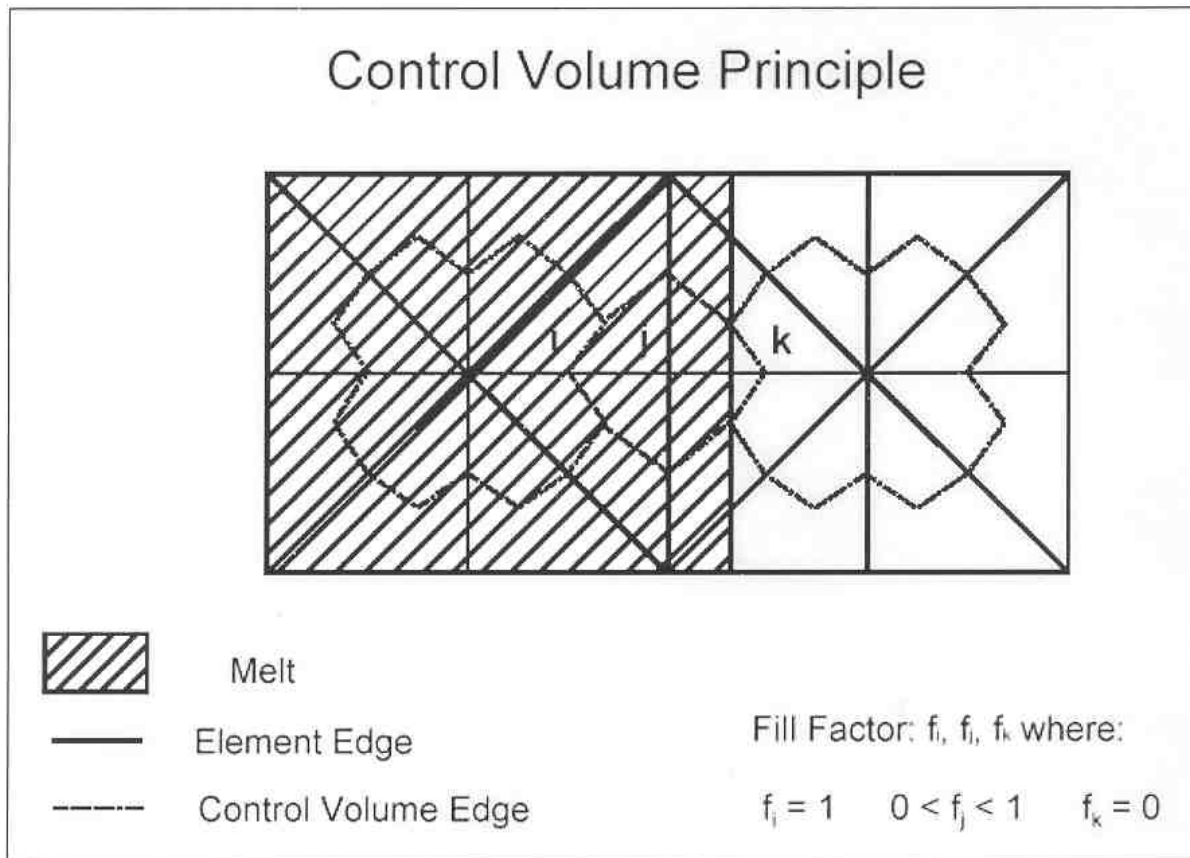
Process Simulation

- Flow Simulation
- Heat Transfer Simulation
- Fiber Orientation
- Anisotropic Elastic Properties
- Thermomechanical Theory





Flow Simulation





Isothermal

$$\frac{\partial}{\partial x} \left[S \frac{\partial p}{\partial x} \right] + \frac{\partial}{\partial y} \left[S \frac{\partial p}{\partial y} \right] - \dot{h} = 0$$

$$S = \frac{h^3}{12\eta}$$

Flow Conductivity

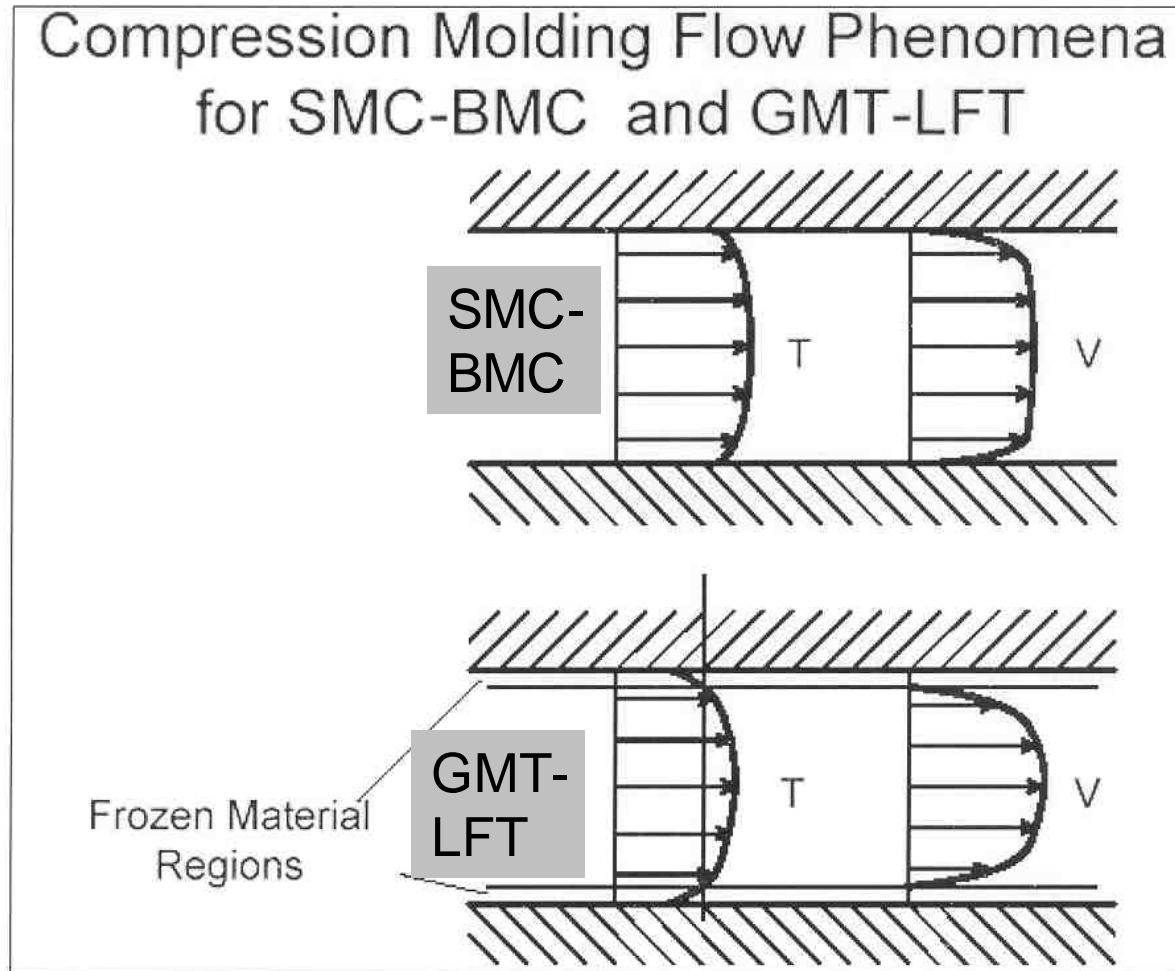
Flow Channel Height

Viscosity





SMC Vs LFT Processing





Non-Isothermal

$$h = \frac{P_1 a_T}{\left(1 + a_T P_2 |\dot{\mathbf{g}}|\right)^{P_3}}$$

$$\log(a_T) = \frac{8.86(T_B - T_S)}{101.6^{\circ}C + (T_B - T_S)} - \frac{8.86(T - T_S)}{101.6^{\circ}C + (T - T_S)}$$





Heat Transfer Simulation

Energy Transport During Filling Stage

$$\mathbf{r}c_p \frac{\partial T}{\partial t} = \mathbf{l} \frac{\partial^2 T}{\partial z^2} \quad \text{Conduction}$$

$$- \mathbf{r}c_p \left(\mathbf{n}_x \frac{\partial T}{\partial x} + \mathbf{n}_y \frac{\partial T}{\partial y} \right) \quad \text{Convection}$$

$$- \mathbf{t}_{xz} \frac{\partial \mathbf{n}_x}{\partial z} - \mathbf{t}_{yz} \frac{\partial \mathbf{n}_y}{\partial z} \quad \text{Diffusion}$$





Heat Transfer Simulation

Rate of Heat Generation

$$\dot{Q}_{S,k} = Q_g \frac{\partial c_{S,k}}{\partial t}$$

Temperature Dependency of the Rate of Cure

$$\frac{\partial c_{S,k}}{\partial t} = f(c_{S,k}, T) = (d_1 + d_2 c_{S,k}^m)(1 - c_{S,k})^n$$

$$d_1 = a_1 e^{-b_1 / RT_k}$$

$$d_2 = a_2 e^{-b_2 / RT_k}$$





Jeffrey Model for Fiber Rotation

$$\frac{\partial \mathbf{f}}{\partial t} = \frac{r_e^2}{r_e^2 + 1} (\sin \mathbf{f} \cos \mathbf{f} (\mathbf{n}_{y,y} - \mathbf{n}_{x,x}) + \cos^2 \mathbf{f} \mathbf{n}_{y,x} - \sin^2 \mathbf{f} \mathbf{n}_{x,y})$$
$$- \frac{1}{r_e^2 + 1} (\sin \mathbf{f} \cos \mathbf{f} (\mathbf{n}_{y,y} - \mathbf{n}_{x,x}) - \sin^2 \mathbf{f} \mathbf{n}_{y,x} + \cos^2 \mathbf{f} \mathbf{n}_{x,y})$$

Fiber Distribution Function

$$\frac{d\mathbf{y}}{dt} = \frac{\partial \mathbf{y}}{\partial t} + \mathbf{n}_x \frac{\partial \mathbf{y}}{\partial x} + \mathbf{n}_y \frac{\partial \mathbf{y}}{\partial y} = - \frac{\partial(\mathbf{y}\dot{\mathbf{f}})}{\partial \mathbf{f}}$$





Folger-Tucker Model

$$\frac{\partial \mathbf{f}}{\partial t} = -C_I \dot{\mathbf{g}} \frac{1}{y} \frac{\partial \mathbf{y}}{\partial \mathbf{f}} - \sin \mathbf{f} \cos \mathbf{f} \mathbf{n}_{x,x} - \sin^2 \mathbf{f} \mathbf{n}_{x,y} + \cos^2 \mathbf{f} \mathbf{n}_{y,x} + \sin \mathbf{f} \cos \mathbf{f} \mathbf{n}_{y,y}$$

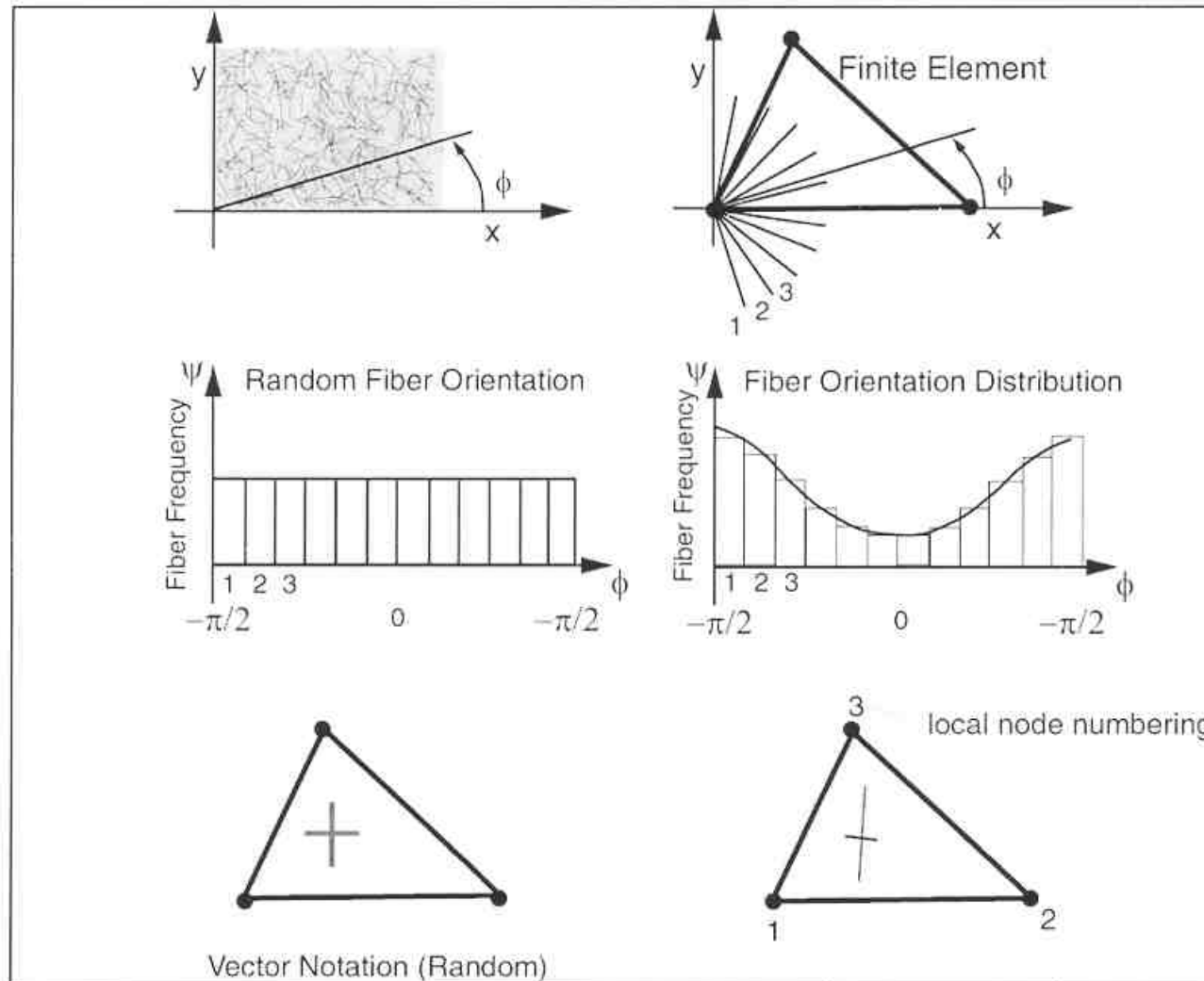
$$\dot{\mathbf{g}} = \sqrt{2\mathbf{n}_{x,x}^2 + (\mathbf{n}_{x,y} + \mathbf{n}_{y,x})^2 + 2\mathbf{n}_{y,y}^2}$$

$$\frac{\partial \mathbf{y}}{\partial t} = C_I \dot{\mathbf{g}} \frac{\partial^2 \mathbf{y}}{\partial \mathbf{f}^2} - \frac{\partial}{\partial \mathbf{f}} \left[\mathbf{y} \left(-\sin \mathbf{f} \cos \mathbf{f} \mathbf{n}_{x,x} - \sin^2 \mathbf{f} \mathbf{n}_{x,y} + \cos^2 \mathbf{f} \mathbf{n}_{y,x} + \sin \mathbf{f} \cos \mathbf{f} \mathbf{n}_{y,y} \right) \right]$$



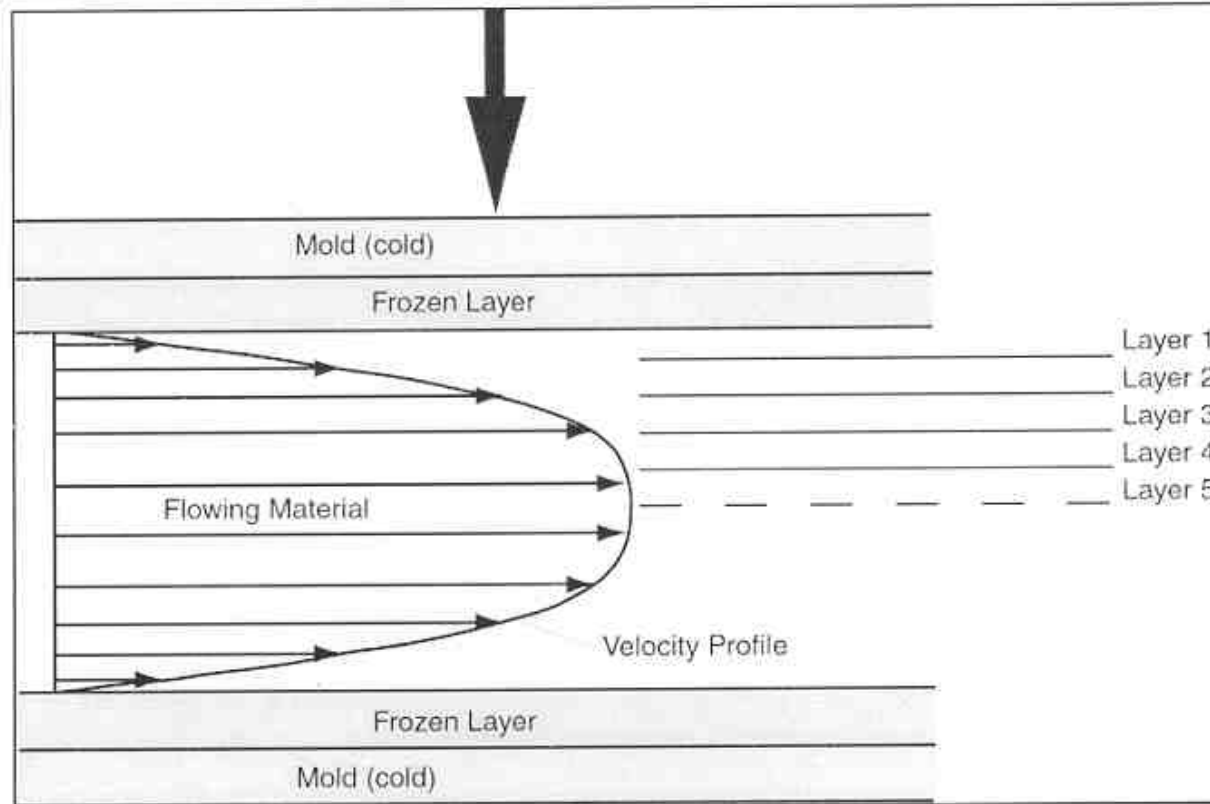


Fiber Orientation





Velocity Profile During Compression Molding

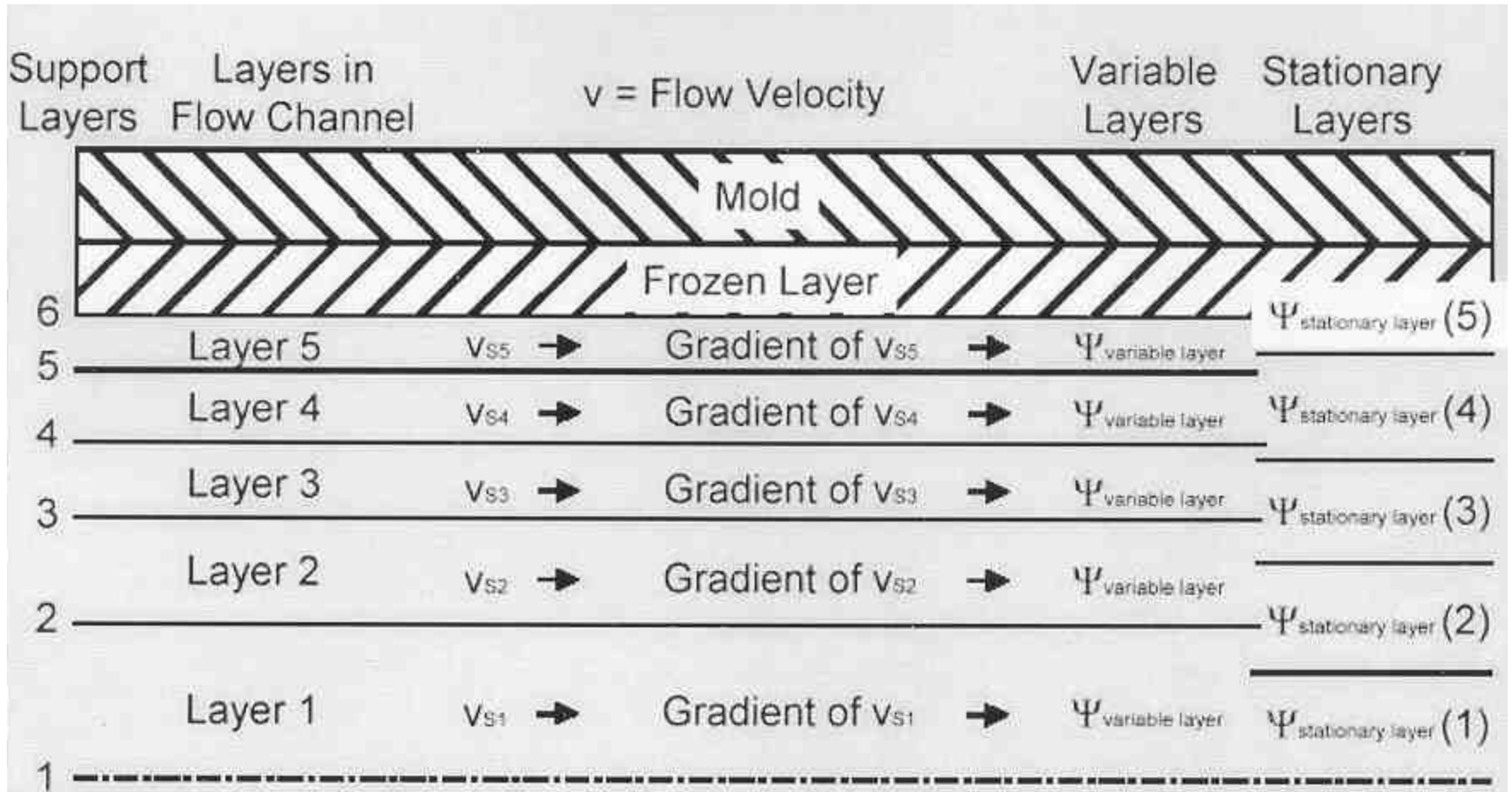


Fibers become fixed in the regions close to the mold walls as the material freezes





Layer Discrete Fiber Orientation



Fluid velocity of the variable layers $n_m = g^h_{nS} + n_{m+1}$





Micromechanics : Halpin-Tsai Equations

$$E_1 = E_M \frac{1 + \mathbf{x}k\Phi}{1 - k\Phi}$$

$$\mathbf{x} = 2 \frac{l_F}{d_F}$$

$$E_2 = E_M \frac{1 + \mathbf{x}k\Phi}{1 - k\Phi}$$

$$\mathbf{x} = 2$$

$$k = \frac{\frac{E_F}{E_M} - 1}{\frac{E_F}{E_M} + \mathbf{x}}$$

$$\mathbf{n}_{21} = \mathbf{n}_F \Phi + \mathbf{n}(1 - \Phi)$$

$$\mathbf{n}_{12} = \mathbf{n}_{21} \frac{E_2}{E_1}$$

$$G_{12} = G_M \frac{1 + \mathbf{x}0.5\Phi}{1 - 0.5\Phi}$$



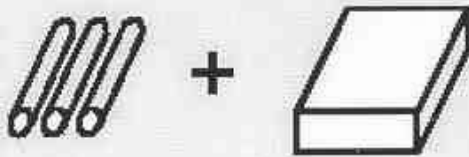


Engineering Constants

Calculating the Engineering Constants

Micromechanic
Halpin-Tsai-Model

Fiber: E_F, ν_F Matrix: E_M, ν_M

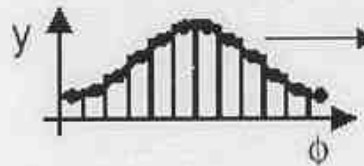


E_1, E_2
 G_{12}
 ν_{21}
 ν_{12}

Macromechanic
Continuum Theory

E_1, E_2
 $G_{12}, \nu_{21}, \nu_{12}$

Position of the
Individual Layers



1. Individual Layer
Stiffness c_i

2. Transformation of c_i to
Primary Orientation Direction

3. Superposition of Individual
Layers based on Frequency

4. Building of the
Elasticity Matrix

5. Calculation of the
Engineering Constants





Coefficient of Thermal Expansion

$$\mathbf{a}_M \approx \frac{1}{3} \mathbf{b} = \frac{1}{3} \frac{1}{n} \frac{\partial n}{\partial T}$$

Specific Volume

$$\mathbf{n}_M = \frac{K_1}{K_4 + p} + \frac{K_2}{K_3 + p} T + K \exp(K_6 T - K_7 p)$$

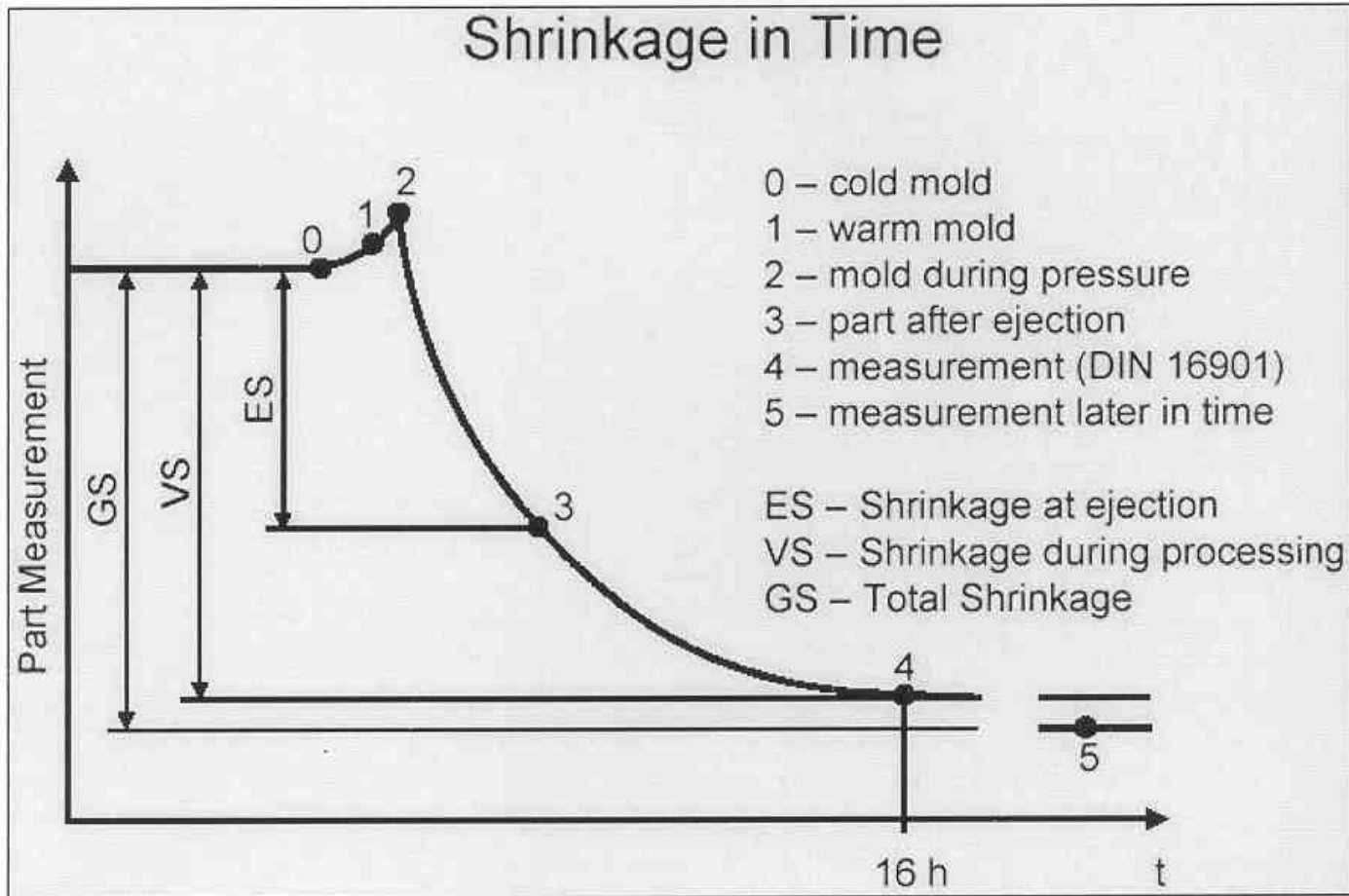
Coefficient of Thermal Expansion with Temperature & Pressure

$$\mathbf{a}_M = \frac{1}{3} \frac{\frac{K_{A2}}{p + K_{A3}} + K_{A5} K_{A6} e^{(K_{A6} T - K_{A7} p)}}{\frac{K_{A1}}{p + K_{A4}} + \frac{K_{A2}}{p + K_{A4}} T + K_{A5} K_{A6} e^{(K_{A6} T - K_{A7} p)}}$$





Shrinkage & Warpage

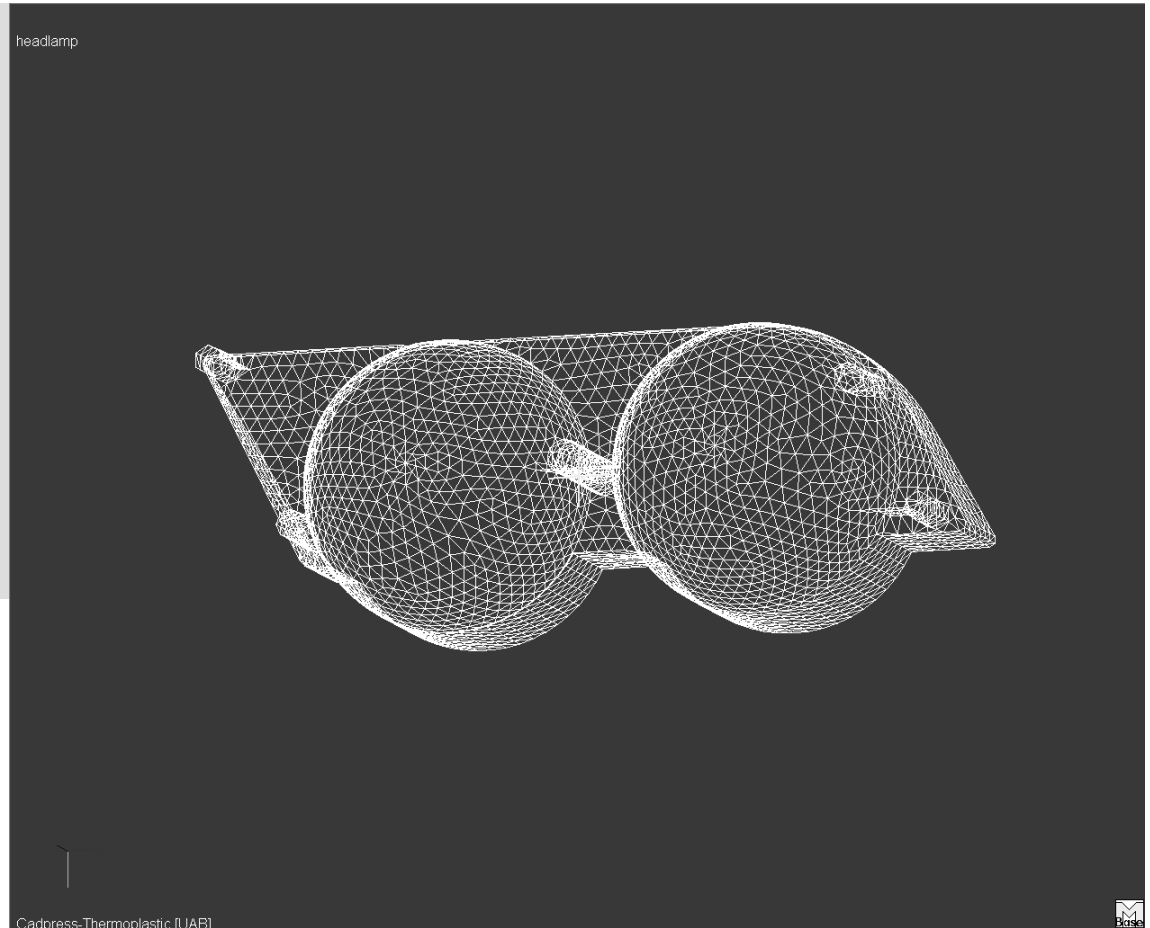




Process Simulation

Mesh Parameters

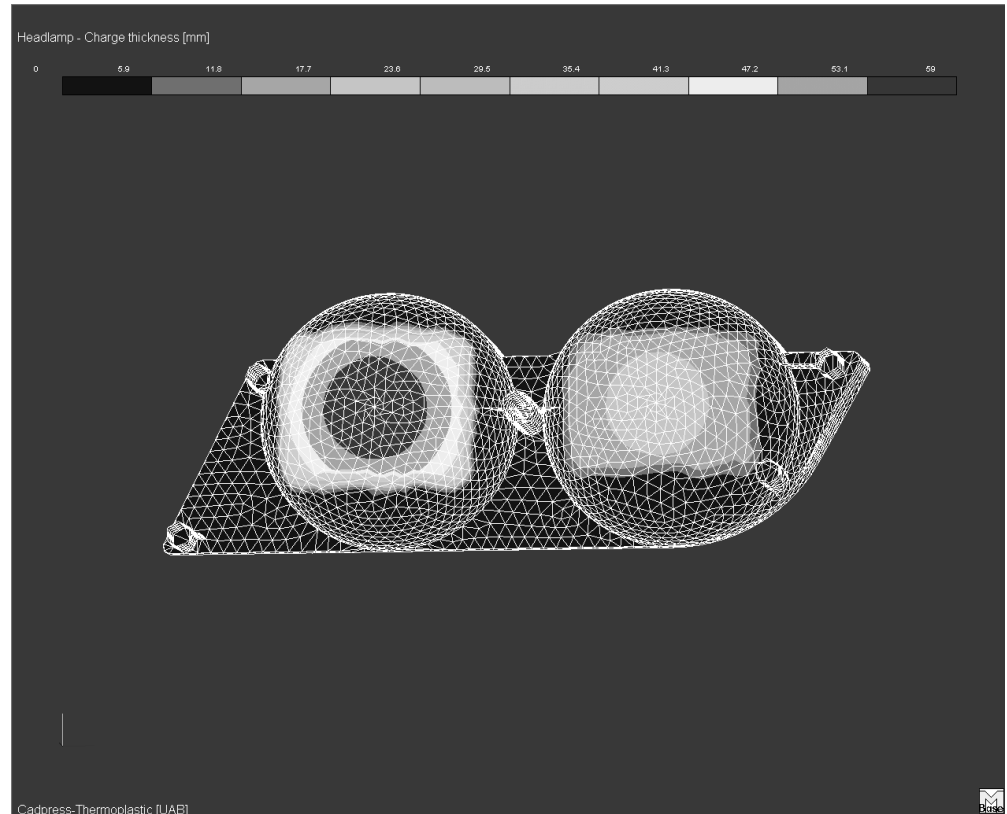
- Linear Shell elements
– 2.5 D
- 3 Noded Tri-Elements
- Mid-plane Model





Process Simulation

- Charge Definition (Group)
- Closing Vector
- Closing Rate
- Molding Compound Temperature
- Tool Temperature
- Maximum Pressing Force
- Pre-orientation of Group





Process Simulation

Material Data for Flow Simulation

- Heat Conductivity (W/mK)
- Thermal Diffusivity (mm^2/s)
- Heat Transfer Coefficient at Tool ($\text{W}/\text{mm}^2\text{K}$)
- Heat Transfer at Air ($\text{W}/\text{mm}^2\text{K}$)
- No Flow Temperature ($^{\circ}\text{C}$)
- Fiber Interaction Coefficient
- Rheometric Parameters

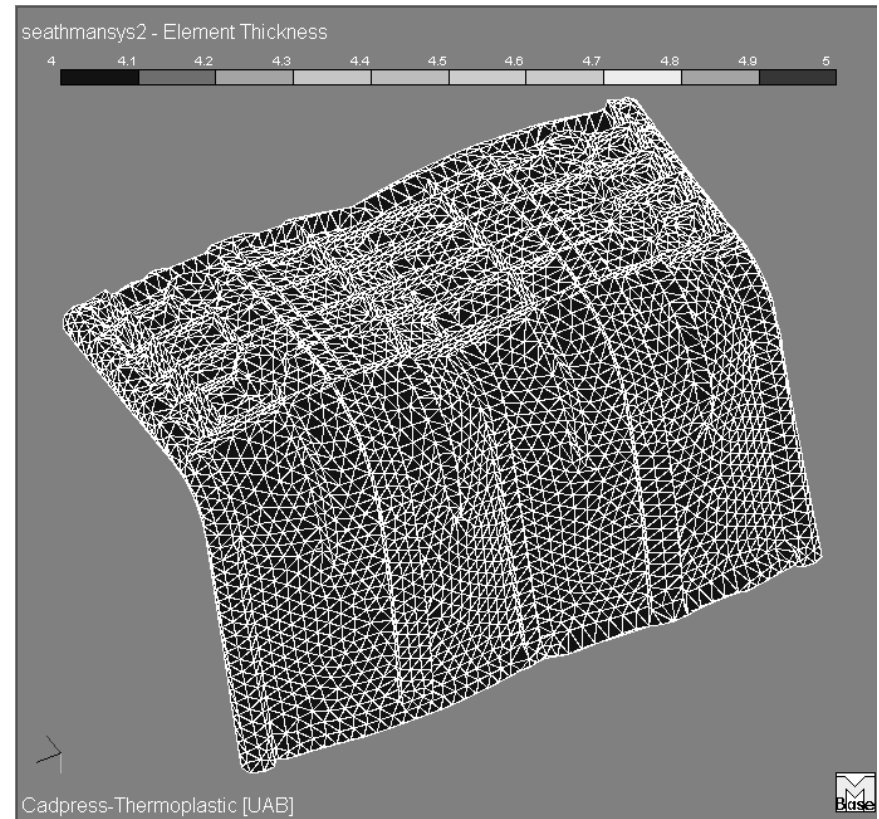
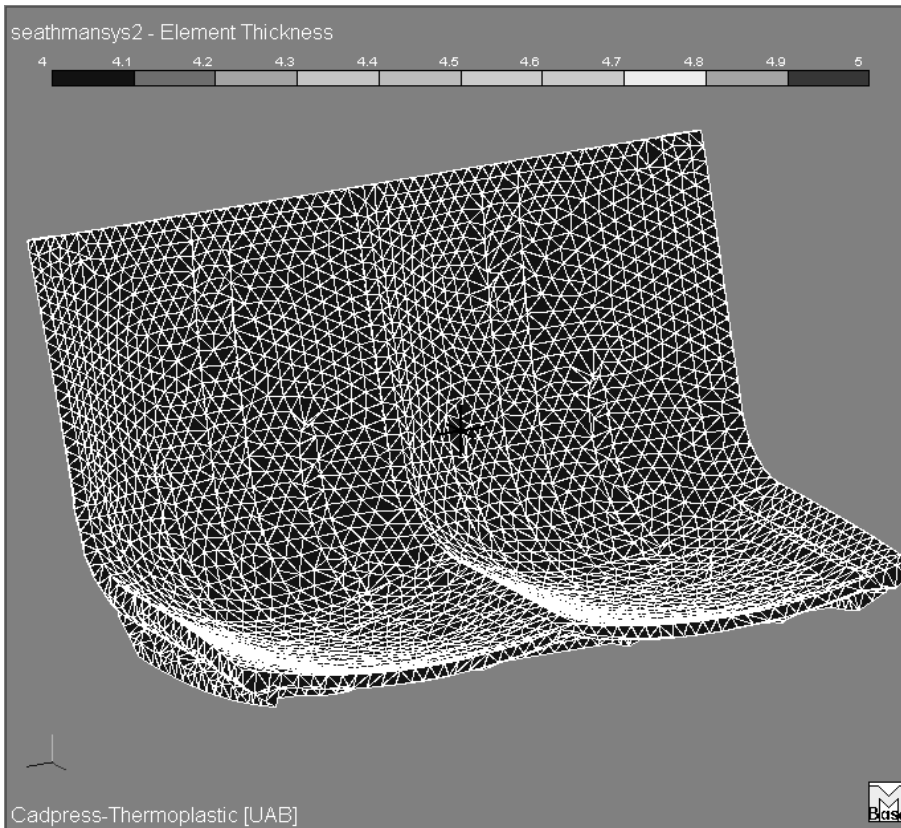
Material Data for Shrinkage & Warpage

- Fiber Characteristics
 - E-modulus (Pa)
 - Poisson's Ratio
 - Coefficient of Linear Expansion ($1/\text{K}$)
 - Fiber Volume Content
 - Length/Diameter of Fiber





Modeling of Bus Seat

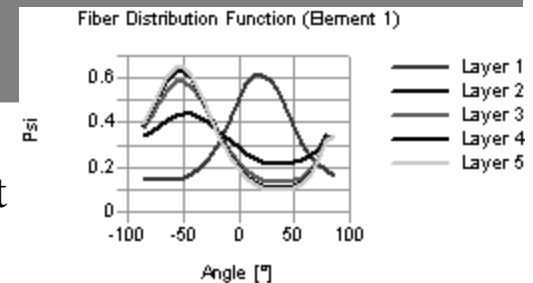
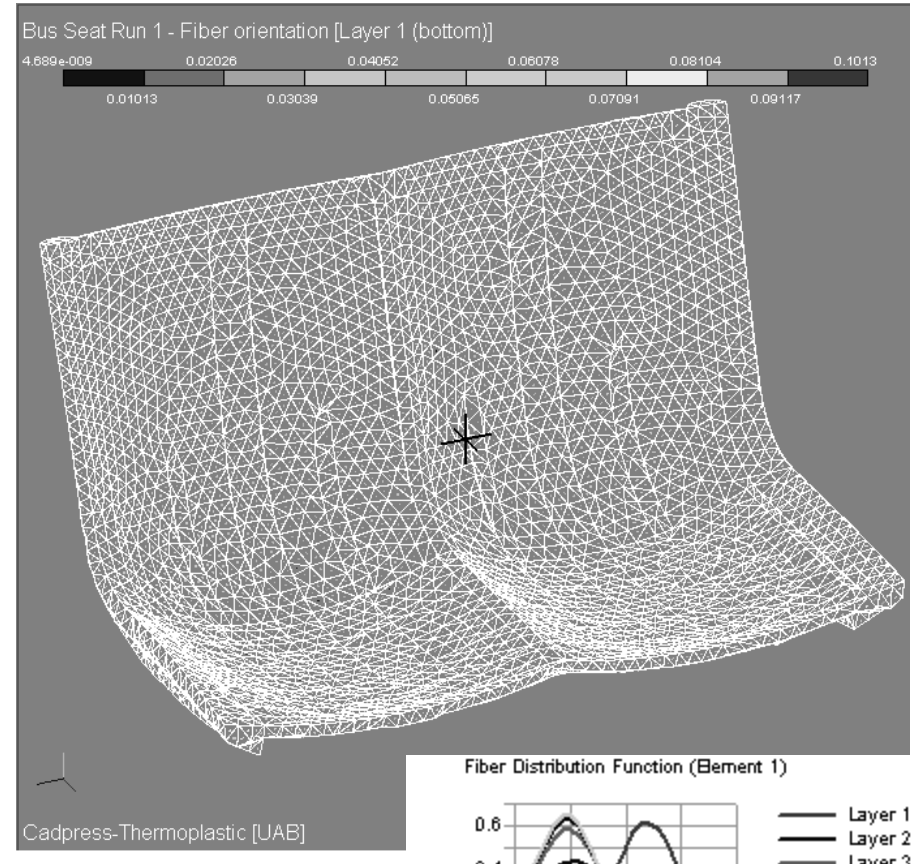
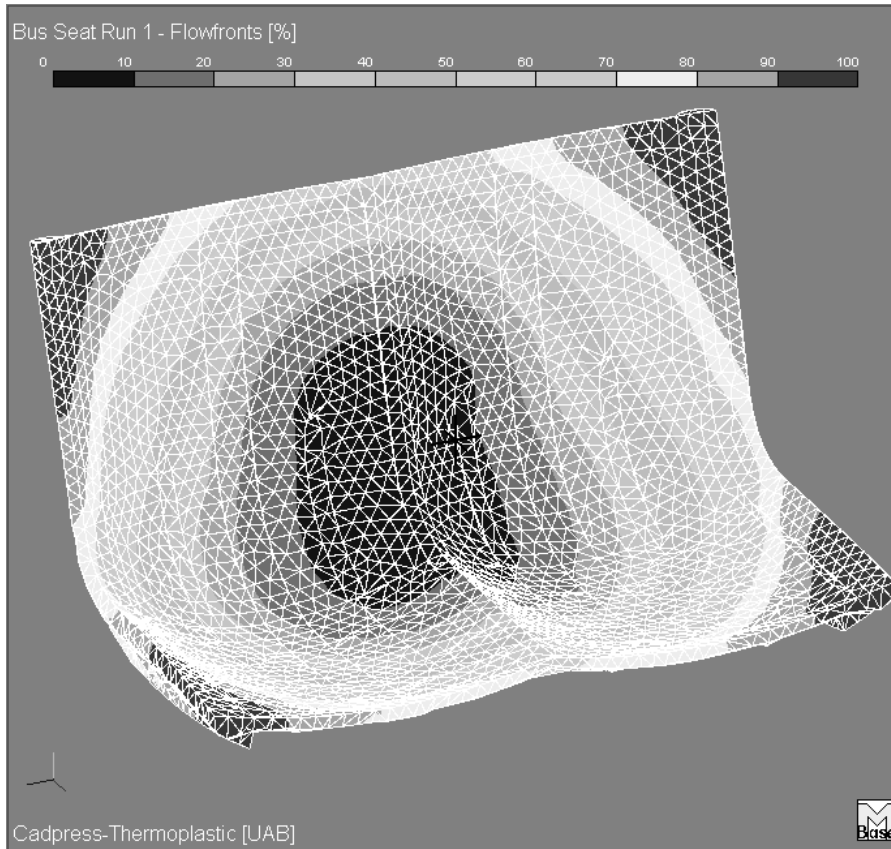


Bus seat model was created in Pro/Engineer. Hypermesh was used to mesh the model, and CADpress for Thermoplastics was used for flow simulation





Simulation Extrusion- Compression Molding



Simulation in CADpress for Thermoplastics showing flow front and fiber distribution. The blue region is the charge placement





Actual Part



Short shot
LFT
seat -
to verify
simulation





Summary

Flow simulations conducted for various charge placements using CADpress for Thermoplastics represented closely the physical processing conditions for the bus seat part which was verified through experiments conducted using short shots

The flow fronts were adequately captured. The predictions of fiber orientation indicated regions of fiber accumulation.





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Acknowledgement

Support provided by Federal Transit
Administration FTA Project AL-26-7001
is gratefully acknowledged

